



- Q1. There are 500 electrons flowing across the cross-sectional area of a copper wire every 5 seconds from A to B. What is the current in the copper wire from A to B?

1 electron charge is $-1.6022 \times 10^{-19} \text{ C}$

500 electrons crossing in 5 seconds, so 100 electrons per second.

Current flow of $-1.6022 \times 10^{-17} \text{ C}$ from A to B.

- Q2. In the above situation, what is the current flowing from B to C?

Current flow of $-1.6022 \times 10^{-17} \text{ C}$ from B to C.

- Q3. In the above situation, what is the current flowing from C to D?

Current flow of $-1.6022 \times 10^{-17} \text{ C}$ from C to D.

- Q4. In the above situation, what is the current flowing from B to D?

Current flow of $-1.6022 \times 10^{-17} \text{ C}$ from B to D.

- Q5. How many electrons would have to flow (and what direction) for there to be 5A of current flow from A to D?

1 electron charge is $-1.6022 \times 10^{-19} \text{ C}$

5A is 5C/s

Number of electrons is $\frac{5}{-1.6022 \times 10^{-19}} = -3.12 \times 10^{19}$, or 3.12×10^{19} in the opposite direction, D to A

- Q6. Say we had to apply 10V at A with respect to D to have 5A of current flow in the resistor. How much is the resistance of the resistor?

$$V = IR \text{ so, } R = \frac{V}{I} = \frac{10}{5} = 2\Omega$$

- Q7. The resistor is between B and C, the copper wire (between A and B, and between C and D) has zero resistance. What is the voltage between A and B?

Voltage is zero when resistance is zero, even if there is current flowing through.

- Q8. What is the voltage at B with respect to D?

Resistance between B and C is 2Ω , so voltage at B with respect to C is $10V$.

- Q9. What is the power flow from C to B?

$Power = Voltage \times Current = 10V \times 5A = 50W$ in direction of current, i.e., B to C. Hence power flow from C to B is $-50W$

- Q10. Is voltage an across variable or through variable? Why?

Across variable, as voltage is always with reference to something. It is across two points.

- Q11. Is current an across variable or through variable? Why?

Through variable, as current passes through an element.



- Q12. You have been presented with an inductor (above). There is $10A$ of current flowing through it, i.e., $I = 10A$. As you have not been told how long the current has been flowing, you should assume it has been flowing a long time. What happens if you suddenly open-circuit the inductor, i.e., stop any current flow through the inductor?

As there is a lot of energy stored in the inductor, and current is flowing, forcing the flow of current may result in an explosion!

- Q13. In the above situation (i.e., the moment when $I = 0A$ changed from $I = 10A$), would there be a voltage induced across the inductor? What would be the value of V (be careful about the polarity)?

Theoretically infinite amount of voltage will get generated across the inductor to force $10A$ current to flow from left to right in the inductor. $V = -\infty$

- Q14. Say we had an identical situation, but with a capacitor instead of an inductor, and you open-circuited the capacitor while there was $10A$ current flowing through it, what would happen? What would be the new value of V across the capacitor?

New value of V would be the old value of V , i.e., nothing would change at the moment, but the voltage would decline gradually due to leaking of charge between the parallel plates of the capacitor.

- Q15. With the capacitor, what would have happened if you had short-circuited the capacitor (instead of open-circuit)?

Potential explosion! The stored positive and negative charged particles would want to neutralise each other immediately resulting in a theoretically infinite amount of current.

- Q16. When we “open-circuit an element”, we are forcing (select option(s) from below) –
- a. **Current flowing through it to be zero**
 - b. Current flowing through it to be infinity
 - c. Voltage across it to be zero
 - d. Voltage across it to be infinity
- Q17. When we “short-circuit an element”, we are forcing (select option(s) from below) –
- a. Current flowing through it to be zero
 - b. Current flowing through it to be infinity
 - c. **Voltage across it to be zero**
 - d. Voltage across it to be infinity
- Q18. In an inductor, the voltage across it is proportional to (select option(s) from below) –
- a. Current through it
 - b. **Rate of change of current through it**
- Q19. In a capacitor, the current through it is proportional to (select option(s) from below) –
- a. Voltage across it
 - b. **Rate of change of voltage across it**